Resource Allocation and Optimization for the Non-Orthogonal Multiple Access

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Context



Fig. 5G enables new capabilities beyond mobile broadband

[White paper: 5G new radio network, use cases, spectrum, technologies and architecture," Nokia, Tech. Rep., 2019]

Non-Orthogonal Multiple Access (NOMA)



Fig. OMA vs NOMA. The two colors represent the transmit power of two different users' signals

- NOMA allows to superpose several signals on the same subcarrier in the power domain:
 - Increase network spectral efficiency
 - Support massive connectivity
 - Improve cell-edge users performance
 - Complex decoding (interference cancellation) at the receiver
 - Optimization of the radio resource: joint subcarrier and power allocation

3









Radio Resource Management: an Optimization Framework

• Each module solves a sub-problem with respect to its problem structure: separability, convexity, knapsack constraints, combinatorics, etc.



Multi-Carrier Allocation: Opt-JSPA and ε-JSPA

- Based on the multiple-choice knapsack problem
- Opt-JSPA: **optimal** with lower complexity than the state-of-the-art
- ε-JSPA: first fully polynomial-time approximation scheme (FPTAS) developed for this problem



Multi-Carrier Allocation: Grad-JSPA

- Grad-JSPA: Projected Gradient Descent
- Search direction: gradient computed by SCPC and SCUS → Separability
- Piece-wise concave → fast convergence to a local optimum



Fig. Performance loss of Grad-JSPA compared to the optimal (M: maximum number of users per subcarrier)

Multi-Carrier Allocation:

Algorithm	Performance guarantee	Complexity for <i>J</i> discrete power values
Monotonic optimization with outer polyblock approximation [7]	Optimal	Exponential in K and N
TSDP [6]	Optimal	$O(J^2 NMK)$
Opt-JSPA	Optimal	$O(NMK^2 + JNMK + J^2N)$
ε -JSPA	FPTAS	$O\left(NMK^{2} + \min\left\{\log(J) \frac{N^{2}MK}{\varepsilon} + \frac{N^{3}}{\varepsilon^{2}}, JNMK + J^{2}N\right\}\right)$
GRAD-JSPA	Heuristic	$O(NMK^2 + \log(J)NMK)$



Decrease in complexity

Conclusion

Unified optimization framework for NOMA:

- Covers a general family of utility functions and system constraints:
 - \rightarrow Solutions under cellular power constraint (downlink): Opt-JSPA, JSPA, Grad-JSPA
 - \rightarrow Solutions under individual power constraints (uplink): Centralized and distributed algorithms \rightarrow Nash equilibrium
- Extensive complexity and approximability analysis
- Decomposition into sub-problems with interesting properties
 - \rightarrow Facilitate the algorithm design
 - → Provable performance guarantees
 - \rightarrow Extendable to new constraints and scenarios

Thank you for your attention